

# Forbearance vs. Interest Rates: Experimental Tests of Liquidity and Strategic Default Triggers

By Deniz Aydin

---

**Sasha Indarte**

Wharton, UPenn

WFA

June 2023

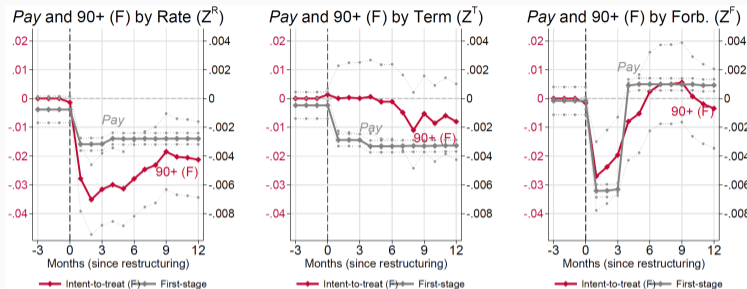
# Motivation

- Household debt relief played a central role in policy responses to crises
  - ▶ Home Affordable Modification Program  $\Rightarrow$  \$4.6 billion spent to restructure mortgages in the Great Recession (Ganong and Noel, 2020)
  - ▶ \$1.4 trillion worth of US mortgages and \$655 billion worth of student loans entered forbearance via CARES Act during COVID Recession (Cherry et al., 2021, Kim et al., 2022)
- Ongoing: US policy debates over student loan forgiveness and overhauling consumer bankruptcy
- **This paper:** what causes consumer default and what forms of debt relief best prevent default?

# Approach Overview

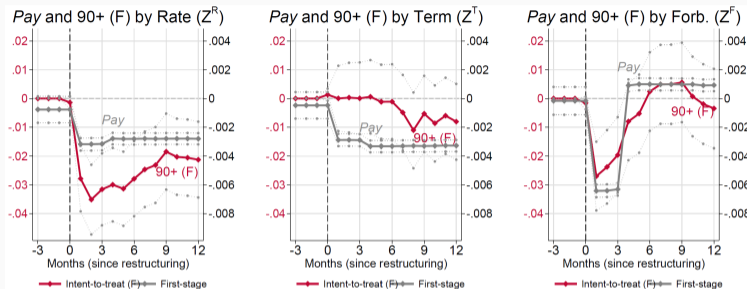
- Author partnered with a bank in Turkey to randomize parameters of a debt relief tool
  - ▶ **Population:** delinquent, unsecured borrowers (~personal loans)
  - ▶ **Debt relief tool:** bank offers borrowers option to refinance
- Experiment varied three debt relief parameters:
  - ▶ **Rate reduction size:** small or large rate reduction offered
  - ▶ **Term extension:** small or large maturity extension
  - ▶ **Forbearance:** option to postpone principal payments for 3 months
- Rate reduction lowers **both** current and future payments
- Term extension and forb. lower current payments but **raise** future payments

# Results Overview



- ▶ Default falls with payments for rate reductions and forbearance
- ▶ But response to term extensions is more muted

# Results Overview



- - ▶ Default falls with payments for rate reductions and forbearance
  - ▶ But response to term extensions is more muted
  - ▶ **Interpretation:** these patterns are at odds with liquidity being the **sole trigger** of default; strategic incentives matter
  - ▶ Concludes from analysis of responses to current vs future payment that **strategic behavior** explains **most** of the default response

# Comment 1: Reconciling results in the literature

---

# Can the paper help us understand differences in results?

- Default is **mostly** due to **liquidity** , not strategic motives
  - ▶ Mortgages: Scharlemann Shore (2016), Gerardi et al. (2017), Ganong Noel (2020, 2023)
  - ▶ Consumer bankruptcy: Indarte (2023)
- Default is **mostly** due to **strategic** , not liquidity motives
  - ▶ Credit cards: Dobbie and Song (2020)
  - ▶ Unsecured personal loans: Aydin (2023)?
- What is it about these various settings that lead to different conclusions?
  - ▶ **Population?** Paper finds strategic motives **relatively** weaker for fin. weaker consumers
  - ▶ Moralizing language (Bursztyn et al., 2019), anticipated reciprocity (Fiorin et al., 2023), and **collateral** ?
  - ▶ Additional dimensions to explore in data? Variation in recourse? Social norms?

**Comment 2: Interpretation of results—do future payments *affect* default more than current ones?**

---



# Measure of strategic response reflects large strategic incentives

The experiment allows for a decomposition of the share of the behavioral response to interest rates that is attributable to a strategic effect (as opposed to a liquidity effect):

$$\frac{\Delta Y}{\Delta R} = \underbrace{\frac{\Delta Y}{\Delta Pay} \frac{\Delta Pay}{\Delta R}}_{\hat{\phi}=1.11 \quad 0.96\% FV_0} + \underbrace{\frac{\Delta Y}{\Delta PVfu} \frac{\Delta PVfu}{\Delta R}}_{\hat{\psi}=0.33 \quad 6.28\% FV_0}$$

Liquidity  $\approx \frac{1}{3}$                       Strategic  $\approx \frac{2}{3}$

where 1.11 and 0.33 are estimates of the sensitivity of behavior to current and future payments,  $\phi$  and  $\psi$ , respectively and 96 cents and \$6.28 per \$100 of principal are the corresponding first stage effect of interest rate reductions.

# Measure of strategic response reflects large strategic incentives

The experiment allows for a decomposition of the share of the behavioral response to interest rates that is attributable to a strategic effect (as opposed to a liquidity effect):

$$\frac{\Delta Y}{\Delta R} = \underbrace{\frac{\Delta Y}{\Delta Pay} \frac{\Delta Pay}{\Delta R}}_{\hat{\phi}=1.11 \quad 0.96\% FV_0} + \underbrace{\frac{\Delta Y}{\Delta PVfu} \frac{\Delta PVfu}{\Delta R}}_{\hat{\psi}=0.33 \quad 6.28\% FV_0}$$

Liquidity  $\approx \frac{1}{3}$                       Strategic  $\approx \frac{2}{3}$

where 1.11 and 0.33 are estimates of the sensitivity of behavior to current and future payments,  $\phi$  and  $\psi$ , respectively and 96 cents and \$6.28 per \$100 of principal are the corresponding first stage effect of interest rate reductions.

- 6.28% FV isn't a behavioral response, it's a parameter of the debt relief policy
- 2/3 reflects both the **response** to strategic incentives and the **size of the incentive**
- For NPV-equivalent changes to present and future payments, response to current payment ("**liquidity**") is about **3-4x stronger (1.11 vs 0.33)**

## Comment 3: To IV or Not IV?

---

# LATE with binary vs. continuous treatment

- Second stage:  $Y_i = X_i\beta_i + \varepsilon_i$ . First stage:  $X_i = Z_i\pi_i + \eta_i$
- Binary treatment ( $X_i \in \{0, 1\}$ ):

$$\beta^{LATE} = \frac{E[Y_i|Z_i = 1] - E[Y_i|Z_i = 0]}{E[X_i|Z_i = 1] - E[X_i|Z_i = 0]} = E[\beta_i|\pi_i > 0]$$

- ▶ Compliers are those with  $\pi_i \neq 0$  ("the instrument affects their treatment status")

# LATE with binary vs. continuous treatment

- Second stage:  $Y_i = X_i\beta_i + \varepsilon_i$ . First stage:  $X_i = Z_i\pi_i + \eta_i$
- Binary treatment ( $X_i \in \{0, 1\}$ ):

$$\beta^{LATE} = \frac{E[Y_i|Z_i = 1] - E[Y_i|Z_i = 0]}{E[X_i|Z_i = 1] - E[X_i|Z_i = 0]} = E[\beta_i|\pi_i > 0]$$

- ▶ Compliers are those with  $\pi_i \neq 0$  ("the instrument affects their treatment status")

- Continuous treatment ( $X_i \in \mathbb{R}$ ):

$$\beta^{LATE} = \frac{E[Z_i X_i \beta_i]}{E[Z_i^2 \pi_i]} = \frac{E[\pi_i \beta_i]}{E[\pi_i]}$$

- ▶ **Continuous treatment**  $\Rightarrow$  **LATE upweights obs with a relatively stronger first stage**

# Whose LATE is identified here?

- Treatment (payment size) is continuous (does not matter that IV is binary)

# Whose LATE is identified here?

- Treatment (payment size) is continuous (does not matter that IV is binary)
- **Rate reduction IV:**
  - ▶ Interest rate reduction is subject to a lower bound ( $>$  inflation)
  - ▶ Lower bound is less binding for people with higher initial interest rates
  - ▶ LATE upweights **more** default-prone population  $\Rightarrow$  overstate default response

# Whose LATE is identified here?

- Treatment (payment size) is continuous (does not matter that IV is binary)
- **Rate reduction IV:**
  - ▶ Interest rate reduction is subject to a lower bound ( $>$  inflation)
  - ▶ Lower bound is less binding for people with higher initial interest rates
  - ▶ LATE upweights **more** default-prone population  $\Rightarrow$  overstate default response
- **Term extension IV:**
  - ▶ Treatment randomly "nudges" people to select a *proportionally higher* new maturity
  - ▶ Term increase is bigger for longer-maturity loans (lower-risk?)
  - ▶ LATE upweights **less** default-prone population  $\Rightarrow$  understate default response



# Whose LATE is identified here?

- Treatment (payment size) is continuous (does not matter that IV is binary)
- **Rate reduction IV:**
  - ▶ Interest rate reduction is subject to a lower bound ( $>$  inflation)
  - ▶ Lower bound is less binding for people with higher initial interest rates
  - ▶ LATE upweights **more** default-prone population  $\Rightarrow$  overstate default response
- **Term extension IV:**
  - ▶ Treatment randomly "nudges" people to select a *proportionally higher* new maturity
  - ▶ Term increase is bigger for longer-maturity loans (lower-risk?)
  - ▶ LATE upweights **less** default-prone population  $\Rightarrow$  understate default response
- Bias for forbearance? What about multi-instrument TSLS? **Suggestions:**
  - ▶ See how treatment intensity varies with groups that differ in first-stage strength
  - ▶ Estimate "reduced-form" within groups and scale effect by average treatment intensity

## Comment 4: What is strategic default?

---

# What is strategic default?

- Paper: "A default is strategic if an able borrower won't pay"
  - ▶ Many papers adopt similar definitions...but what does "able" mean in practice?
  - ▶ No liquid assets? Liquidation costs > wealth? No kidneys left to sell?
- Economically, what is a **meaningful** line to draw? Why delineate default causes?
- And how does "inability" relate to current vs future payments? Paper's take: reaction to **current payments = liquidity**, reaction to **future payments = strategic**

# What is strategic default?

- Paper: "A default is strategic if an able borrower won't pay"
  - ▶ Many papers adopt similar definitions...but what does "able" mean in practice?
  - ▶ No liquid assets? Liquidation costs > wealth? No kidneys left to sell?
- Economically, what is a **meaningful** line to draw? Why delineate default causes?
- And how does "inability" relate to current vs future payments? Paper's take: reaction to **current payments = liquidity**, reaction to **future payments = strategic**
- Indarte (2023) focuses on moral hazard (strategic) and liquidity **motives**, i.e. the default **responses** to (1) the wealth gain from default vs (2) cash-on-hand
  - ▶ **Economic justification:** relative strength of these **motives** is informative about the costs and insurance value of debt relief

# Separating moral hazard (strategic) and liquidity effects

- The default response to debt **payment** sizes reflects both moral hazard and liquidity effects (Indarte, 2023). Consider a default indifference condition:

$$V_t^{def} = V_t^{repay}(y_t, d_t)$$
$$u(a_t + e_t) - \sigma + \mathbb{E}^{def}(V_{t+1}) = \max_{d_{t+1}} u(a_t + y_t^* - R_t d_t + d_{t+1}) + \mathbb{E}^{repay}(V_{t+1})$$

# Separating moral hazard (strategic) and liquidity effects

- The default response to debt **payment** sizes reflects both moral hazard and liquidity effects (Indarte, 2023). Consider a default indifference condition:

$$V_t^{def} = V_t^{repay}(y_t, d_t)$$
$$u(a_t + e_t) - \sigma + \mathbb{E}^{def}(V_{t+1}) = \max_{d_{t+1}} u(a_t + y_t^* - R_t d_t + d_{t+1}) + \mathbb{E}^{repay}(V_{t+1})$$

- ▶ Changes in  $e_t$  affect filing through the **moral hazard** effect

# Separating moral hazard (strategic) and liquidity effects

- The default response to debt **payment** sizes reflects both moral hazard and liquidity effects (Indarte, 2023). Consider a default indifference condition:

$$V_t^{def} = V_t^{repay}(y_t, d_t)$$
$$u(a_t + e_t) - \sigma + \mathbb{E}^{def}(V_{t+1}) = \max_{d_{t+1}} u(a_t + y_t^* - R_t d_t + d_{t+1}) + \mathbb{E}^{repay}(V_{t+1})$$

- ▶ Changes in  $e_t$  affect filing through the **moral hazard** effect
- ▶ Changes in  $a_t$  affect filing through the **liquidity** effect

# Separating moral hazard (strategic) and liquidity effects

- The default response to debt **payment** sizes reflects both moral hazard and liquidity effects (Indarte, 2023). Consider a default indifference condition:

$$V_t^{def} = V_t^{repay}(y_t, d_t)$$
$$u(a_t + e_t) - \sigma + \mathbb{E}^{def}(V_{t+1}) = \max_{d_{t+1}} u(a_t + y_t^* - R_t d_t + d_{t+1}) + \mathbb{E}^{repay}(V_{t+1})$$

- ▶ Changes in  $e_t$  affect filing through the **moral hazard** effect
- ▶ Changes in  $a_t$  affect filing through the **liquidity** effect
- ▶ Changes in debt payments  $R_t d_t$  affect filing through **both** motives



# Separating moral hazard (strategic) and liquidity effects

- The default response to debt **payment** sizes reflects both moral hazard and liquidity effects (Indarte, 2023). Consider a default indifference condition:

$$V_t^{def} = V_t^{repay}(y_t, d_t)$$
$$u(a_t + e_t) - \sigma + \mathbb{E}^{def}(V_{t+1}) = \max_{d_{t+1}} u(a_t + y_t^* - R_t d_t + d_{t+1}) + \mathbb{E}^{repay}(V_{t+1})$$

- ▶ Changes in  $e_t$  affect filing through the **moral hazard** effect
- ▶ Changes in  $a_t$  affect filing through the **liquidity** effect
- ▶ Changes in debt payments  $R_t d_t$  affect filing through **both** motives
- If we take the response to future payments = strategic motive, we can subtract it from the response to current payments to get the liquidity effect:
  - ▶ Liquidity 2.36x ( $= \frac{1.11 - 0.33}{0.33}$ ) stronger than strategic (I find about 4x for US bankruptcy)

# Conclusion

---

## In conclusion...

- Very interesting paper!
- New evidence from a rich RCT on an important policy question
- Sheds light on how to best design debt relief
- Would also be valuable to interact debt relief treatments and examine the extent to which they are complements vs substitutes!

**Thanks!**

---